

Criterii	Descriptori	Punctaje acordate
I. Activitatea de cercetare	1. Articole științifice publicate in extenso in reviste cotate Web of Science cu factor de impact	<p>1. I.M., Exponential stabilization of the stochastic Burgers equation by boundary proportional feedback, Discrete and Continuous Dynamical Systems Series A, $(60 \times 0.976 + 25) / 1 = 83.56$</p> <p>2. I.M., Boundary stabilization of the stochastic heat equation by proportional feedbacks, Automatica $(60 \times 6.126 + 25) / 1 = 392.56$</p> <p>3. I.M., The total variation flow perturbed by gradient linear multiplicative noise, Infinite Dimensional Analysis, Quantum Probability and Related Topics $(60 \times 0.7 + 25) / 2 = 33.5$</p> <p>4. I.M., Boundary stabilization of a 2-D periodic MHD channel flow, by proportional feedbacks, ESAIM COCV $(60 \times 1.46 + 25) / 1 = 112.6$</p> <p>5. I.M., Stabilisation of parabolic semilinear equations. International Journal of Control $(60 \times 2.101 + 25) / 1 = 151.06$</p> <p>6. I.M., Stabilization of a 3-D periodic channel flow by explicit normal boundary feedbacks. Journal of Dynamical and Control Systems $(60 \times 0.693 + 25) / 1 = 66.58$</p> <p>7. I.M., Stabilization of stochastic parabolic equations with boundary noise and boundary-control. Journal of Mathematical Analysis and Applications $(60 \times 1.138 + 25) / 1 = 93.28$</p> <p>8. I.M., Boundary feedback stabilization of Fisher's equation. Systems Control Letters $(60 \times 2.656 + 25) / 3 = 61.45$</p> <p>9. I.M., Stabilization of Semilinear Heat Equations, with Fading Memory, by boundary feedbacks, Journal of Differential Equations $(60 \times 1.782 + 25) / 1 = 131.92$</p> <p>10. I.M., Boundary stabilization of the Navier-Stokes Equation with Fading Memory, International Journal of Control $(60 \times 2.101 + 25) / 1 = 151.06$</p> <p>11. I.M., Recovering a constant in the two-dimensional Navier-Stokes system with no initial condition, Applied Mathematics and Optimization $(60 \times 1.175 + 25) / 2 = 47.75$</p>

		<p>12. I.M., Boundary stabilization of the phase field system by finite-dimensional feedback controllers, Journal of Mathematical Analysis and Applications (60x1.138+25)/1=93.28</p> <p>13. I.M., Boundary feedback stabilization of periodic fluid flows in a magnetohydrodynamic channel, IEEE Transactions on Automatic Control (60 x5+25)/1=325</p> <p>14. I.M., Normal feedback stabilization for linearized periodic MHD channel flow, at low magnetic Reynolds number, Systems & Control Letters (60 x 2.657+25)/1=184.42</p> <p>15. I.M., Existence of solutions for models of shallow water in a basin with degenerate varying bottom, Journal of Evolution Equations (60 x 1.025+25)/1=86.5</p> <p>15. I.M., Normal feedback stabilization of periodic flows in a three-dimensional channel, Numerical Functional Analysis and Optimization (60 x 0.827+25)/1=74.62</p> <p>16. I.M., Normal feedback stabilization of periodic flows in a twodimensional channel, Journal of Optimization Theory and Applications (60x 1.23 +25)/1=98.8</p> <p>17. I.M., Internal stabilization of Navier- Stokes equation with exact controllability on spaces with finite codimension,, Evolution Equations and Control Theory (60x0.82 +25)/2=37.1</p> <p>Punctaj total: 2224.1</p>
	2.Articole stiintifice publicate in extenso in reviste indexate Web of Science fara factor de impact	<p>1. I.M., A well-posed second-order anisotropic diffusion-based structural inpainting scheme. ROMAI J 20/2=10</p> <p>2. I.M., A nonlinear fourth-order diffusion-based model for image denoising and restoration, PROCEEDINGS OF THE ROMANIAN ACADEMY, Series A 20/2=10</p> <p>3. I.M., Internal stabilizable feedback controller for a finite set of equilibrium solutions to the NAVIER-STOKES equations,</p>

		<p>Analele Stiintice ale Universitatii AL. I. CUZA din IASI (S. N.) MATEMATICA</p> <p>20/1=20</p> <p>4. I.M., Tangential feedback stabilization of periodic flows in a 2-D channel, Differential Integral Equations</p> <p>20/1=20</p> <p>Punctaj total: 60</p>
	3.Articole stiintifice publicate in extenso in volumele conferintelor	<p>1. I.M., On a family of dynamical systems, in the Conference book CERMCS, 144-147, ISBN 978-9975-70-677-3.</p> <p>Punctaj total: 15/1=15</p>
	4. Carti stiintifice publicate	<p>Edituri academice internationale: Ionut Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019, 212pp</p> <p>Punctaj total: 2x 100/1 =200</p>
	9. Contracte de cercetare stiintifica	<p>Director Grant intern UAIC 2018 in valoare de 40.000</p> <p>Punctaj: 5</p> <p>Membru in proiect PN II IDEI ID 70/2008 director CS I Gabriela Marinoschi, 4 membrii</p> <p>Punctaj: 12</p> <p>Membru in grantul PN-II_PCE-2011-3-0027- director Acad. V. Barbu, in valoare de 500.000 lei, 3 membrii</p> <p>Punctaj: 16.6</p> <p>Membru in grantul PN-II-ID-PCE-2012-4-0456, director prof. dr. Catalin Popa, in valoare de 231.233 lei, 4 membrii.</p> <p>Punctaj: 5</p> <p>Punctaj total: 38.6</p>
	12. Citari si recenzii ale lucrarilor stiintifice	<p>1. I.M., Normal feedback stabilization of periodic flows in a two-dimensional channel, Journal of Optimization Theory and Applications. Citat in:</p>

		<p>1) V. Barbu, Stabilization of Navier-Stokes Equations by Oblique Boundary Feedback Controllers, SIAM J. Control Optim., 50(4), 22882307, 2012.</p> <p>$(10+20 \times 1.6)/1= 42$</p> <p>2) V. Barbu, Controllability and Stabilization of Parabolic Equations, Springer, 2018.</p> <p>$50/1=50$</p> <p>3) HB Liu, Boundary Optimal Control of Time-Periodic Stokes-Oseen Flows, J. Optimiz. Theory Applications 154, 2012.</p> <p>$(10+20 \times 1.23)/1=34.6$</p> <p>4) S.S. Rodrigues, Feedback boundary stabilization to trajectories for 3D NavierStokes equations, Applied Mathematics & Optimization, 2018</p> <p>$(10+20 \times 1.175)/1=33.5$</p> <p>5) LIU Hanbing, X Haijun, Boundary feedback stabilization of Boussinesq equations, Acta Mathematica Scientia, 2018</p> <p>$(10+20 \times 0.386)/1=17.72$</p> <p>6) S. Chowdhury, S. Ervedoza, Open loop stabilization of incompressible Navier-Stokes equations in a 2d channel using power series expansion, Journal de Mathematiques Pure et Appliquees, 2019</p> <p>$(10+20 \times 1.45)/1=39$</p> <p>7) I. Munteanu, Boundary stabilisation of the NavierStokes Equation with Fading Memory, Int. J. Control 88, 2015.</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>8) I. Munteanu, Normal feedback stabilization of periodic flows in a threedimensional channel, Numer. Funct. Analysis and Optimization 33, 2012</p> <p>$(10+20 \times 0.59)/1= 21.8$</p> <p>9) I. Munteanu, Boundary feedback stabilization of periodic fluid flows in a magnetohydrodynamic channel, IEEE Transactions on Automatic Control 58, 2013.</p> <p>$(10+20 \times 5)/1=110$</p>
--	--	---

		<p>10) I. Munteanu, Normal feedback stabilization for linearized periodic MHD channel flow, at low magnetic Reynolds number, Systems Control Letters, 2013</p> <p>$(10+20 \times 2.65)/1=63$</p> <p>11) I. Munteanu, Stabilization of a 3-D periodic channel flow by explicit normal boundary feedbacks, Journal of Dynamical and Control Systems, 2017</p> <p>$(10+20 \times 0.69)=24$</p> <p>12) I. Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019.</p> <p>$50/1=50$</p> <p>2) I.M., Boundary stabilization of the phase field system by finite-dimensional feedback controllers, Journal of Mathematical Analysis and Applications 412, 964 - 975, 2014. Citat in</p> <p>1) V. Barbu, Controllability and stabilization of parabolic equations, Springer 2018.</p> <p>$50/1=50$</p> <p>2) LIU Hanbing, X Haijun , Boundary feedback stabilization of Boussinesq equations, Acta Mathematica Scientia, 2018</p> <p>$(10+20 \times 0.386)/1=17.72$</p> <p>3) I. Munteanu, Stabilisation of parabolic semilinear equations, International Journal of Control, 2017 1 2</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>4) H Liu, P Hu, I Munteanu, Boundary feedback stabilization of Fisher's equation, Systems Control Letters, 2016</p> <p>$(10+20 \times 2.65)/1=63$</p> <p>5) I. Munteanu, Boundary stabilization of a 2-D periodic MHD channel flow, by proportional feedbacks, ESAIM COCV 2017</p> <p>$(10+20 \times 1.225)=34.5$</p>
--	--	---

		<p>6) I. Munteanu, Boundary stabilisation to non-stationary solutions for deterministic and stochastic parabolic-type equations, International Journal of Control 2017.</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>7) I. Munteanu, Stabilization of stochastic parabolic equations with boundary noise and boundary-control, Journal of Mathematical Analysis and Applications, 2017</p> <p>$(10+20 \times 1.138)/1=32.76$</p> <p>8) I. Munteanu, Boundary stabilization of the stochastic heat equation by proportional feedbacks, Automatica 2018</p> <p>$(10+20 \times 6.12)/1=132.4$</p> <p>9) P Colli, G Gilardi, I Munteanu, Stabilization of a linearized CahnHilliard system for phase separation by proportional boundary feedbacks, International Journal of Control 2019</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>10) I. Munteanu, Exponential stabilization of the stochastic Burgers equation by boundary proportional feedback, Discrete & Continuous Dynamical Systems-A, 2019</p> <p>$(10+20 \times 1.087)/1=31.74$</p> <p>11) I. Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019.</p> <p>$50/1=50$</p> <p>3) I.M. , Stabilisation of parabolic semilinear equations. International Journal of Control 90 (2017), no. 5, 1063-1076. Citat in:</p> <p>1) V. Barbu, Controllability and stabilization of parabolic equations, Springer 2018.</p> <p>$50/1=50$</p> <p>2) P Colli, G Gilardi, I Munteanu, Stabilization of a linearized CahnHilliard system for phase separation by proportional boundary feedbacks, International Journal of Control 2019</p> <p>$(10+20 \times 1.28)/1=35.6$</p>
--	--	---

		<p>3) I. Munteanu, Exponential stabilization of the stochastic Burgers equation by boundary proportional feedback, Discrete & Continuous Dynamical Systems-A, 2019</p> <p>$(10+20 \times 1.087)/1=31.74$</p> <p>4) I. Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019.</p> <p>$50/1=50$</p> <p>5) I. Munteanu, Boundary stabilization of a 2-D periodic MHD channel flow, by proportional feedbacks, ESAIM COCV 2017</p> <p>$(10+20 \times 1.225)=34.5$</p> <p>6) I. Munteanu, Stabilization of a 3-D periodic channel flow by explicit normal boundary feedbacks, Journal of Dynamical and Control Systems, 2017</p> <p>$(10+20 \times 0.69)=24$</p> <p>7) I. Munteanu, Boundary stabilisation to non-stationary solutions for deterministic and stochastic parabolic-type equations, International Journal of Control 2017.</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>8) I. Munteanu, Stabilization of stochastic parabolic equations with boundary noise and boundary-control, Journal of Mathematical Analysis and Applications, 2017</p> <p>$(10+20 \times 1.138)/1=32.76$</p> <p>9) I. Munteanu, Boundary stabilization of the stochastic heat equation by proportional feedbacks, Automatica 2018</p> <p>$(10+20 \times 6.12)/1=132.4$</p> <p>10) P Colli, G Gilardi, I Munteanu, Stabilization of a linearized CahnHilliard system for phase separation by proportional boundary feedbacks, International Journal of Control 2019</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>11) LIU Hanbing, X Haijun , Boundary feedback stabilization of Boussinesq equations, Acta Mathematica Scientia, 2018</p>
--	--	---

		<p>$(10+20 \times 0.386)/1=17.72$</p> <p>4) I.M., Stabilization of Semilinear Heat Equations, with Fading Memory, by boundary feedbacks, Journal of Differential Equations 259 (2015) 454-472. Citta in</p> <p>1) L Li, X Zhou, H Gao, The stability and exponential stabilization of the heat equation with memory, Journal of Mathematical Analysis and Applications, 2018</p> <p>$(10+20 \times 1.138)/1=32.76$</p> <p>2) I.M. , Stabilisation of parabolic semilinear equations. International Journal of Control 90 (2017), no. 5, 1063-1076.</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>3) H Liu, P Hu, I Munteanu, Boundary feedback stabilization of Fisher's equation, Systems Control Letters, 2016</p> <p>$(10+20 \times 2.65)/1=63$</p> <p>5) I. Munteanu, Boundary stabilization of a 2-D periodic MHD channel flow, by proportional feedbacks, ESAIM COCV 2017</p> <p>$(10+20 \times 1.225)=34.5$</p> <p>4) I. Munteanu, Boundary stabilisation to non-stationary solutions for deterministic and stochastic parabolic-type equations, International Journal of Control 2017.</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>5) I. Munteanu, Boundary stabilization of the stochastic heat equation by proportional feedbacks, Automatica 2018</p> <p>$(10+20 \times 6.12)/1=132.4$</p> <p>6) P Colli, G Gilardi, I Munteanu, Stabilization of a linearized CahnHilliard system for phase separation by proportional boundary feedbacks, International Journal of Control 2019</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>7) I. Munteanu, Exponential stabilization of the stochastic Burgers equation by boundary proportional feedback, Discrete & Continuous Dynamical Systems-A, 2019</p>
--	--	---

		<p>$(10+20 \times 1.087)/1=31.74$</p> <p>8) I. Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019.</p> <p>$50/1=50$</p> <p>5) I.M., Boundary stabilization of the Navier-Stokes Equation with Fading Memory , International Journal of Control, 88 (3), 531-542, 2015. Citat in:</p> <p>1) B de Andrade, A Viana, Abstract Volterra integrodifferential equations with applications to parabolic models with memory, Mathematische Annalen, 2017 8</p> <p>$(10+20 \times 1.29)/1= 35.8$</p> <p>2) I. Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019.</p> <p>$50/1=50$</p> <p>3) I.M. , Stabilisation of parabolic semilinear equations. International Journal of Control 90 (2017)</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>4) H Liu, P Hu, I Munteanu, Boundary feedback stabilization of Fisher's equation, Systems Control Letters, 2016</p> <p>$(10+20 \times 2.65)/1=63$</p> <p>5) I. Munteanu, Boundary stabilisation to non-stationary solutions for deterministic and stochastic parabolic-type equations, International Journal of Control 2017</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>6) I. Munteanu, Boundary stabilization of the stochastic heat equation by proportional feedbacks, Automatica 2018</p> <p>$(10+20 \times 6.12)/1=132.4$</p> <p>7) P Colli, G Gilardi, I Munteanu, Stabilization of a linearized CahnHilliard system for phase separation by proportional boundary feedbacks, International Journal of Control 2019 4</p> <p>$(10+20 \times 1.28)/1=35.6$</p>
--	--	--

		<p>8) I. Munteanu, Stabilization of stochastic parabolic equations with boundary noise and boundary-control, Journal of Mathematical Analysis and Applications, 2017</p> <p>$(10+20 \times 1.138)/1=32.76$</p> <p>9) I. Munteanu, Exponential stabilization of the stochastic Burgers equation by boundary proportional feedback, Discrete & Continuous Dynamical Systems-A, 2019</p> <p>$(10+20 \times 1.087)/1=31.74$</p> <p>6) H Liu, P Hu, I Munteanu, Boundary feedback stabilization of Fisher's equation, Systems Control Letters, 2016. Citat in:</p> <p>1) HB Liu, Impulse output feedback stabilization of Fisher's equation, Systems Control Letters, 2017</p> <p>$(10+20 \times 2.65)/3=21$</p> <p>2) M Safari, MJ Ameri, A Naderifar , An efficient boundary control for porous media equation: Motivated by water coning problem, The Canadian Journal of Chemical Engineering 2019</p> <p>$(10+20 \times 1.265)/3=11.76$</p> <p>3) I. Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019.</p> <p>$50/3=16$</p> <p>4) I.M. , Stabilisation of parabolic semilinear equations. International Journal of Control 90 (2017)</p> <p>$(10+20 \times 1.28)/1=11.6$</p> <p>5) I. Munteanu, Boundary stabilization of a 2-D periodic MHD channel flow, by proportional feedbacks, ESAIM COCV 2017</p> <p>$(10+20 \times 1.225)/3=11.5$</p> <p>6) I. Munteanu, Boundary stabilisation to non-stationary solutions for deterministic and stochastic parabolic-type equations, International Journal of Control 2017.</p> <p>$(10+20 \times 1.28)/3=11.6$</p>
--	--	--

		<p>7) I. Munteanu, Boundary stabilization of the stochastic heat equation by proportional feedbacks, Automatica 2018</p> <p>$(10+20 \times 6.12)/3=44.5$</p> <p>8) P Colli, G Gilardi, I Munteanu, Stabilization of a linearized CahnHilliard system for phase separation by proportional boundary feedbacks, International Journal of Control 2019</p> <p>$(10+20 \times 1.28)/3=11.6$</p> <p>9) I. Munteanu, Exponential stabilization of the stochastic Burgers equation by boundary proportional feedback, Discrete & Continuous Dynamical Systems-A, 2019 7)</p> <p>$(10+20 \times 1.087)/3=10$</p> <p>7) I.M., Existence of solutions for models of shallow water in a basin with degenerate varying bottom, Journal of Evolution Equations, 12(2), 393- 412, 2012 . Citat in</p> <p>1) B Al Taki, Viscosity effect on the degenerate lake equations, Nonlinear Analysis: Theory, Methods Applications, 2017</p> <p>$(10+20 \times 1.125)/1=32.5$</p> <p>8) I.M., Normal feedback stabilization of periodic flows in a three-dimensional channel, Numerical Functional Analysis and Optimization, 33(6), 611-637, 2012. Citat in :</p> <p>1) D Phan, SS Rodrigues, Stabilization to trajectories for parabolic equations, Mathematics of Control, Signals, and Systems, 2018</p> <p>$(10+20 \times 0.5)=20$</p> <p>2) SS Rodrigues, Feedback boundary stabilization to trajectories for 3D NavierStokes equations, Applied Mathematics Optimization, 2018</p> <p>$(10+20 \times 1.175)/1=32$</p> <p>3) I. Munteanu, Stabilization of a 3-D periodic channel flow by explicit normal boundary feedbacks, Journal of Dynamical and Control Systems, 2017</p> <p>$(10+20 \times 0.69)=24$</p>
--	--	---

		<p>4) I.M., Normal feedback stabilization for linearized periodic MHD channel flow, at low magnetic Reynolds number, Systems Control Letters, 62, 55-62, 2013</p> <p>$(10+20 \times 2.65)/1=63$</p> <p>5) I. Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019.</p> <p>$50/1=50$</p> <p>9) I.M. , Boundary stabilization of a 2-D periodic MHD channel flow, by proportional feedbacks, ESAIM COCV 23(4), (2017), 1253-1266 . Citati in:</p> <p>1) V. Barbu, Controllability and stabilization of parabolic equations, Springer 2018</p> <p>$50/1=50$</p> <p>2) I. Munteanu, Boundary stabilisation to non-stationary solutions for deterministic and stochastic parabolic-type equations, International Journal of Control 2017</p> <p>$(10+20 \times 1.28)/1=35.6$</p> <p>3) I. Munteanu, Boundary Stabilization of Parabolic Equations, Springer 2019.</p> <p>$50/1=50$</p> <p>7) I. Munteanu, Boundary stabilization of the stochastic heat equation by proportional feedbacks, Automatica 2018</p> <p>$(10+20 \times 6.12)/1=130$</p> <p>8) I. Munteanu, Stabilization of stochastic parabolic equations with boundary noise and boundary-control, Journal of Mathematical Analysis and Applications, 2017</p> <p>$(10+20 \times 1.19)/1= 32$</p> <p>8) P Colli, G Gilardi, I Munteanu, Stabilization of a linearized CahnHilliard system for phase separation by proportional boundary feedbacks, International Journal of Control 2019</p> <p>$(10+20 \times 1.28)/1=35.6$</p>
--	--	--

		<p>9) I. Munteanu, Exponential stabilization of the stochastic Burgers equation by boundary proportional feedback, Discrete & Continuous Dynamical Systems-A, 2019 $(10+20 \times 1.087)/1=30$</p> <p>10) I.M., Boundary feedback stabilization of periodic fluid flows in a magnetohydrodynamic channel, IEEE Transactions on Automatic Control 58 (8), 2119 - 2125, 2013. Citat in: 1) Z Ren, S Guo, Z Li, Z Wu, 2018 Adjoint-based parameter and state estimation in 1-D magnetohydrodynamic (MHD) flow system, Journal of Industrial Management , 2018 $(10+20 \times 0.45)/1=19$ 2) Z Ren, C Xu, Z Wu, X Liu, Optimal tracking control of flow velocity in a one-dimensional magnetohydrodynamic flow, Engineering Optimization, 2019 $(10+20 \times 1.62)=42$ 3) Z Ren, Z Zhao, Z Wu, T Chen, Dynamic optimal control of a onedimensional magnetohydrodynamic system with bilinear actuation, IEEE Access, 2018 $(10+20 \times 3.5)/1=80$ 4) Z Ren, Z Zhou, C Xu, Z Wu, T Chen, Computational bilinear optimal control for a class of one-dimensional MHD flow systems, ISA transactions, 2019 $(10+20 \times 3.37)/1=76$ 5) I. Munteanu, Boundary stabilization of parabolic equations, Springer 2019 $50/1=50$ 6) I.M. , Boundary stabilization of a 2-D periodic MHD channel flow, by proportional feedbacks, ESAIM COCV 23(4), (2017), 1253-1266 $(10+20 \times 1.2)/1= 34$ 11) I.M., The total variation flow perturbed by gradient linear multiplicative noise, Infinite Dimensional Analysis, Quantum Probability and Related Topics 21, 1, 22 pp (jointly with M. Roeckner) . Citat in :</p>
--	--	---

		<p>1) V Barbu, Z Brzeźniak, L Tubaro, Stochastic nonlinear parabolic equations with Stratonovich gradient noise, Applied Mathematics Optimization, 2018 (10+20 x 1.17)/2=16</p> <p>. 13) I.M., Normal feedback stabilization for linearized periodic MHD channel flow, at low magnetic Reynolds number, Systems Control Letters, 62, 55- 62, 2013. Citat in</p> <p>2) I. Munteanu, Boundary stabilization of parabolic equations, Springer 2019 50/1=50</p> <p>3) I.M., Boundary feedback stabilization of periodic fluid flows in a magnetohydrodynamic channel, IEEE Transactions on Automatic Control 58 (10+20 x 2.3)=56</p> <p>4) I.M. , Boundary stabilization of a 2-D periodic MHD channel flow, by proportional feedbacks, ESAIM COCV 23(4), (2017), 1253-1266 (10+20 x1.2)/1=32</p> <p>14) I.M., Boundary stabilisation to non-stationary solutions for deterministic and stochastic parabolic-type equations, Int. J. Control 2017 1) SS Rodrigues, K Sturm, On the explicit feedback stabilization of onedimensional linear nonautonomous parabolic equations via oblique projections, IMA Journal of Mathematical Control , 2018 (10+20 x 1.3)/1=36 2) I. Munteanu, Exponential stabilization of the stochastic Burgers equation by boundary proportional feedback, Discrete & Continuous Dynamical Systems-A, 2019 (10+20 x 1)/1=31</p> <p>15) I. M., A. Lorenzi, Recovering a Constant in the Two-Dimensional NavierStokes System with No Initial Condition, Applied Mathematics and Optimization 2014. Citat in: 1) A Lorenzi, A STRONGLY ILL-POSED INTEGRODIFFERENTIAL SINGULAR PARABOLIC PROBLEM IN THE UNIT CUBE OF R^n, Evolution Equations Control Theory, 2014. (10+20 x 0.5)/2=10</p>
--	--	---

		Punctaj total: 3600
	14. Profesor invitat la universitati	march 2015, Zhejiang University, China Punctaj: 25
	15. Membru in Editorial Board and Advisory Board	Associate Editor of the volume "Advances in Variational and Partial Differential Equation-Based Models for Image Processing and Computer Vision", Hindawi Mathematical Problems in Engineering Punctaj total: 20
	16. Premii internationale obtinute printr-un proces de selectie	Alexander von Humboldt Award 2015-2017 Punctaj: 100
	18. Alte premii nationale ale institutiilor culturale	Cercetatorul anului oferit de Universitatea Al. I. Cuza din Iasi in anii 2016 si 2018 Punctaj: 2 x 20= 40
	19. Manifestari stintifice	Punctaj: 60
II. Activitate didactica	3. Materiale suport curs, seminar si programe analitice detaliate	Punctaj: 10 x 10=100
	4. Organizare de aplicatii si practica de specialitate	Punctaj: 6 x 5=30